

(54)

a_i b_i R_x $(S3),$ $(S2).$ R_y $(S1).$ b_i
 a_i $($ $i)$ $(S4).$ a b $(S6).$
 ERL $(S5).$ ERL R_x $(S7).$

13

, , , , ERL ,

, , 가 가 . PSTN/가 4 - 2
 (four - to - two wire conversion) (PSTN= 가).
 (transit exchange)

, , 가 PSTN 가
 , , , ,
 (near end)
 , , , , 가
 30 dB 가 , 가 가
 (dominate) ,

[1] 가 (clipper)

가
(constructively)
가

(sporadic)
가

가

가

(non - linear processor; NLP)

가
가 PSTN

4 - 2

2 가
가
가 (mask)

ion) , GSM (GSM=Global System for Mobile communicat
46 dB

GSM

가

가

가

1

2

3 가 가

4 3

5

6
7
8
9
10
11
12
13

가

가

가

가

가

1 (far end) 가 가 A 2
2) 가 가 B 2 가 A 1 2
가 가 A B , 가 B 가 B 1 2
가 가 A 가 A , 가 B 가 A 2 , 가 B 2
가 B

2 가 A (가)
x(n) 가 A , n x(n) , q⁻¹ 가
(q⁻¹ x(n)=x(n-1)) H(q⁻¹) 가 (10)
(14) , s(n) (14) ERL(ERL= (Ec
no Return Loss)) y(n)
(12) , x(n) s(n) $\hat{s}(n)$ (16)
, 가 A 가 2 e(n) (12) , NLMS (2)
[2])

3 (12)가 [1] 가 (18) 가 (18) $e_{vcc}(n)$ $\hat{s}(n)$

1

$$e_{vcc}(n) = \begin{cases} 0 & : |e(n)| < \tau = \delta \cdot |\hat{s}(n)| \\ e(n) & : |e(n)| \geq \tau \end{cases}$$

4 (18) 가 (18) (scaling factor) $\hat{s}(n)$ $\hat{s}(n)$ 가 $e(n)$ 가 B $e_{vcc}(n)$ $|e(n)|$

5 가 $x(n)$ $x(n)$ (20) (24) (22) (30) (26) (28) (32) 5 (32) (34) (28), (26,24) $y(n)$ (34) (22) NLP(40) (38) (36)

5 (40) 가 5 (18,40) 6 $x(n)$ R_x 5 $y(n)$ R

2

$$R_x(n) = \sum_{k=0}^{N-1} x^2(n-k)$$

$$R_y(n) = \sum_{k=0}^{N-1} y^2(n-k)$$

(, , 가) . N (, N=64)
 (480 000 60) 가 6

7 , R_x - 30 dBm0 , R_y R_x 208 ms 가
 R_x - 30 dBm0 , R_y R_x - 60 dBm0 . 7 R_x R_y 가
 :

3 $R_y(n) = R_s(n) + R_v(n)$

, R_s , R_v ()
 , R_s :

4 $R_s(n) = \frac{R_x(n)}{10^{\frac{ERL}{10}}}$

, R_y :

5 $R_y(n) = \frac{R_x(n)}{10^{\frac{ERL}{10}}} + R_v(n)$

(logarithm) , :

6 $\log(R_v(n)) = \begin{cases} \log(R_v(n)) & \log(R_v(n)) > \log(R_s(n)) - \gamma ERL \\ (1-C)\log(R_v(n)) + C(\log(R_v(n)) - \gamma ERL) & \log(R_v(n)) \leq \log(R_s(n)) - \gamma ERL \end{cases}$

, =log(10)/10 , C ≈ 1 . C log R_v = log R_x - ERL
 , R_v ERL 가 . a(n)
 b(n)

7 $a(n) = \log(R_v(n))$
 $b(n) = \gamma ERL + a(n)$

8

$$\log(R_y(n)) = a(n) + C \cdot \max(0, \log(R_x(n)) - b(n))$$

$$a(n) \quad b(n)$$

8

a(n)

b(n)

. ERL

$$ERL = (b(n) - a(n)) /$$

(recursive)

$$a(n) \quad b(n)$$

R_x R_y

, N=64

R_x

264 ms

33

가 a b

가 (8000 /s LMS

264 ms N

33 x 64 = 2112).

9

$$\left. \begin{aligned} e_i(n) &= \log(R_y(n)) - a_i(n) - C \cdot \max[0, \log(R_x(n-i \cdot N)) - b_i(n)] \\ a_i(n+1) &= a_i(n) + \mu_a \cdot e_i(n) \\ b_i(n+1) &= \begin{cases} b_i(n) - \mu_b \cdot C \cdot e_i(n) & \log(R_x(n-i \cdot N)) > b_i(n) \\ b_i(n) & \text{otherwise} \end{cases} \end{aligned} \right\} i = 0 \dots i_{\max}$$

, i i · N

$$a_i(n) \quad b_i(n)$$

, μ_a μ_b

, i_{max} i_{max} · N

$$e_i(n)$$

, 「log」

2

(2 - logarithm)

9

(50)

42

44 b(n)

b_i(n)

10

$$\Delta(n) = \text{지연}(b_{\min}(n))$$

i

b(n)

ERL

46

11

$$ERL(n) = \frac{a(n) - b(n)}{\gamma}$$

, $a(n)$ $b(n)$ (i) 가 $a_i(n)$.

, 48 , ERL
:

12

$$\text{클립 레벨} = k \frac{R_x(n-\Delta)}{10^{\frac{ERL}{10}}}$$

, k ERL 10 (order) .

, (50) / .

10 5 , (40) (50)가

(40) $y(n)$, (50) .

가 (40) , 가 ,

가 가 .

PSTN

11 12 .

11 (18) (50)가

「 」 $e(n)$, 「 」 가 $x(n)$, (18) 10 (40)

12 (18) (50)가

$x(n)$, 가 「 」 가 $x(n)$, 가 $\hat{s}(n)$

13 S1 , R_x R_y 가 .

S_2 R_x a_i b_i , S_3 , 가 b S
 i 가 b , S_4 (i)가 a . S_6 a, b
5 , 가 ERL S_8 , ERL

S_1 R_x (R_x 가) . R_x R_y

,
, (NLP) .

가

[1] British Telecommunications US, A, 4 577 071.

[2] D.T.M. Slock, 「On the Convergence Behavior of the LMS and the Normalized LMS Algorithms」, IEEE Transactions on Signal Processing, 41(9): 2811 - 2825, September 1993.

(57)

1.

$$R_x(n) \quad R_y(n) \quad \text{가}$$

$$\log(R_x(n)) = a(n) + C \cdot \max(0, \log(R_x(n)) - b(n))$$

, n , a(n) b(n) , C

2.

1 ,

$$a(n) \quad b(n)$$

3.

2 ,

$$\left. \begin{aligned} e_i(n) &= \log(R_x(n)) - a_i(n) - C \cdot \max[0, \log(R_x(n-i \cdot N)) - b_i(n)] \\ a_i(n+1) &= a_i(n) + \mu_a \cdot e_i(n) \\ b_i(n+1) &= \begin{cases} b_i(n) - \mu_b \cdot C \cdot e_i(n) & \log(R_x(n-i \cdot N)) > b_i(n) \\ b_i(n) & \text{otherwise} \end{cases} \end{aligned} \right\} i = 0 \dots i_{\max}$$

, N , i i · N , i_max i_max · N
 , e_i(n) i , μ_a μ_b
 ;

a_i(n) b_i(n) a(n) b(n) b_i(n)
 a_i(n) b_i(n)

4.

3 ,

$$R_x(n) = \sum_{k=0}^{N-1} x^2(n-k)$$

, x(n) ;

$$R_y(n) = \sum_{k=0}^{N-1} y^2(n-k)$$

, y(n)

5.

1 4 , b(n)

6.

1 4 , ERL

$$ERL(n) = \frac{a(n)-b(n)}{\gamma}$$

, log (10)/10

7.

1 4 ,

가

8.

1 4

가

9.

$R_x(n)$ $R_y(n)$ 가

$$\log(R_y(n)) = a(n) + C \cdot \max(0, \log(R_x(n)) - b(n))$$

, n ; , a(n) b(n) , C

b(n) ;

ERL ,

$$ERL(n) = \frac{a(n) - b(n)}{\gamma}$$

, log (10)/10 ;

$$\text{클리프 레벨} = k \frac{R_x(n-\Delta)}{10^{\frac{ERL}{10}}}$$

, k ;

10.

9 ,

a(n) b(n)

11.

10 ,

$$\left. \begin{aligned} e_i(n) &= \log(R_x(n)) - a_i(n) - C \cdot \max[0, \log(R_x(n-i \cdot N)) - b_i(n)] \\ a_i(n+1) &= a_i(n) + \mu_a \cdot e_i(n) \\ b_i(n+1) &= \begin{cases} b_i(n) - \mu_b \cdot C \cdot e_i(n) & \log(R_x(n-i \cdot N)) > b_i(n) \\ b_i(n) & \text{otherwise} \end{cases} \end{aligned} \right\} i = 0 \dots i_{\max}$$

, N

, i i · N

, i_max i_max · N

, e_i(n) i ;

, a_i(n) b_i(n) i , μ_a μ_b

a_i(n) b_i(n)

a(n) b(n) b_i(n)

12.

11 ,

$$R_x(n) = \sum_{k=0}^{N-1} x^2(n-k)$$

, x(n) ;

$$R_y(n) = \sum_{k=0}^{N-1} y^2(n-k)$$

, y(n)

13.

9 11 ,

가

14.

9 11 ,

가 ,

15.

$$\frac{R_y(n)}{R_x(n)} \quad (42) \quad , \quad \text{가}$$

$$\log(R_y(n)) = a(n) + C \cdot \max(0, \log(R_x(n)) - b(n))$$

, n , a(n) b(n) , C

16.

15

$$a(n) \quad b(n) \quad (42)$$

17.

16

$$a(n) \quad b(n) \quad (42)$$

$$\left. \begin{aligned} e_i(n) &= \log(R_y(n)) - a_i(n) - C \cdot \max[0, \log(R_x(n-i \cdot N)) - b_i(n)] \\ a_i(n+1) &= a_i(n) + \mu_a \cdot e_i(n) \\ b_i(n+1) &= \begin{cases} b_i(n) - \mu_b \cdot C \cdot e_i(n) & \log(R_x(n-i \cdot N)) > b_i(n) \\ b_i(n) & \text{otherwise} \end{cases} \end{aligned} \right\} i = 0 \dots i_{\max}$$

, N , i i · N , i_max i_max · N

, e_i(n) i , μ_a μ_b ;

$$a_i(n) \quad b_i(n) \quad (42) \quad a(n) \quad b(n) \quad b_i(n)$$

18.

17

$$(42) \quad ,$$

$$R_x(n) = \sum_{k=0}^{N-1} x^2(n-k)$$

, $x(n)$;
(42) ,

$$R_y(n) = \sum_{k=0}^{N-1} y^2(n-k)$$

, $y(n)$

19.

15 18 ,
b(n) (44)

20.

15 18 ,
ERL (46) ,
$$ERL(n) = \frac{a(n)-b(n)}{\gamma}$$

, $\log(10)/10$

21.

,
$$\frac{R_y(n)}{R_x(n)} \quad (42) \quad , \quad \text{가}$$

$$\log(R_y(n)) = a(n) + C \cdot \max(0, \log(R_x(n)) - b(n))$$

, n ; , $a(n)$ $b(n)$, C

$b(n)$ (44);

ERL (46) ,

$$ERL(n) = \frac{a(n)-b(n)}{\gamma}$$

, $\log(10)/10$;

$$(48)$$

$$\text{클립 레벨} = k \frac{R_x(n-\Delta)}{10^{\frac{ERL}{10}}}$$

, k ;

$$(18)$$

22.

21

,

$$a(n) \quad b(n) \quad (42)$$

23.

22

,

$$a(n) \quad b(n) \quad (42)$$

$$\left. \begin{aligned} e_i(n) &= \log(R_s(n)) - \alpha_i(n) - C \cdot \max[0, \log(R_s(n-i \cdot N)) - b_i(n)] \\ \alpha_i(n+1) &= \alpha_i(n) + \mu_a \cdot e_i(n) \\ b_i(n+1) &= \begin{cases} b_i(n) - \mu_b \cdot C \cdot e_i(n) & \log(R_s(n-i \cdot N)) > b_i(n) \\ b_i(n) & \text{otherwise} \end{cases} \end{aligned} \right\} i = 0 \dots i_{\max}$$

, N

, i i · N

, i_{max} i_{max} · N

$$, a_i(n) \quad b_i(n) \quad i, \mu_a \quad \mu_b$$

, e_i(n) i ;

$$a_i(n) \quad b_i(n) \quad (42) \quad a(n) \quad b(n) \quad b_i(n)$$

24.

23

,

$$(42)$$

$$R_x(n) = \sum_{k=0}^{N-1} x^2(n-k)$$

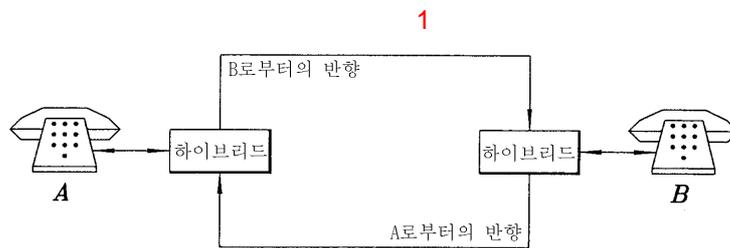
, $x(n)$

;

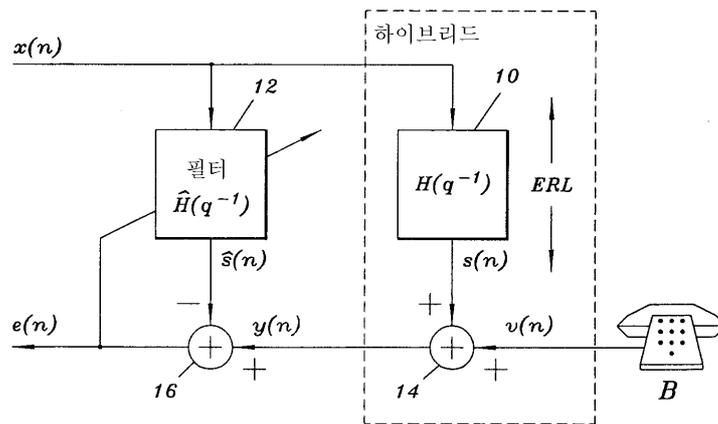
(42)

$$R_y(n) = \sum_{k=0}^{N-1} y^2(n-k)$$

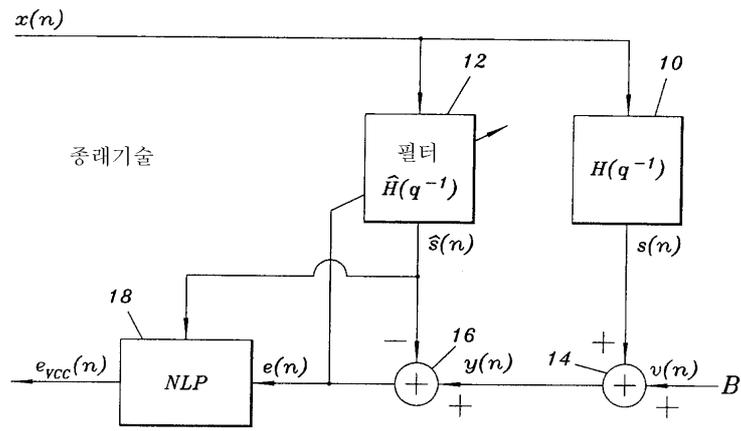
, $y(n)$



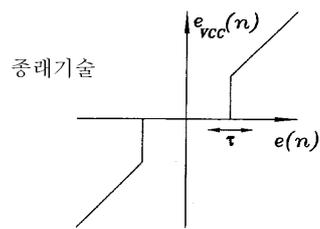
2



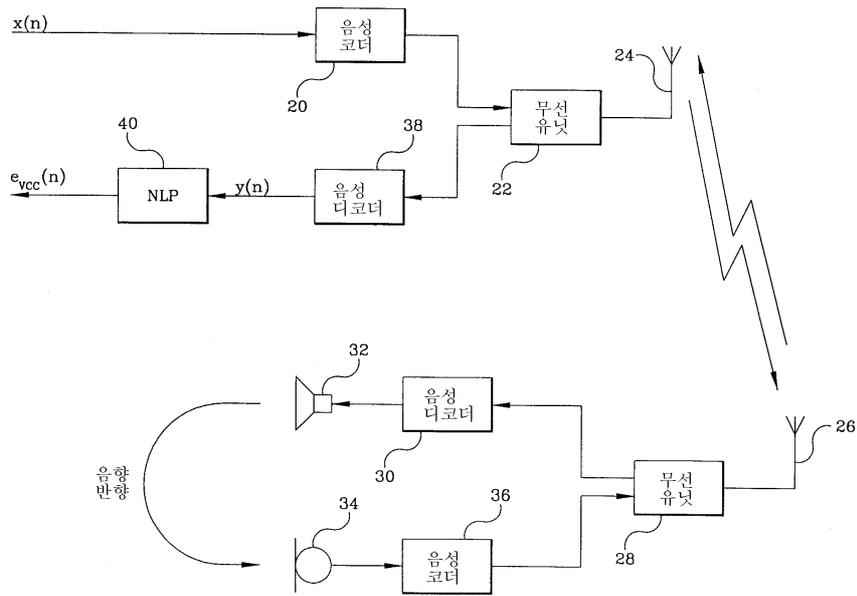
3



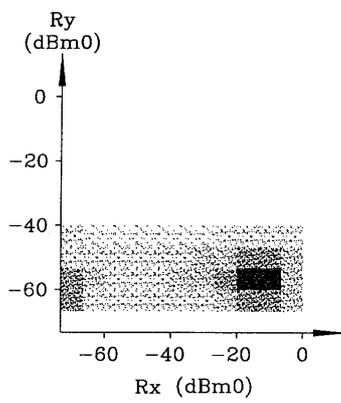
4



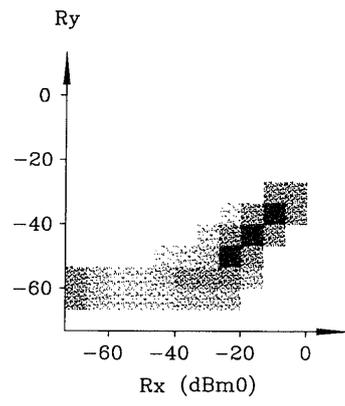
5



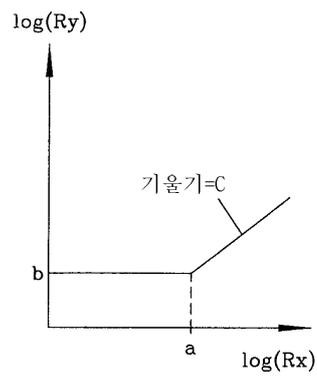
6



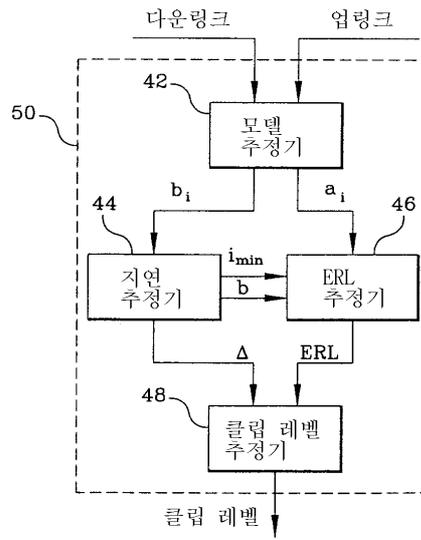
7



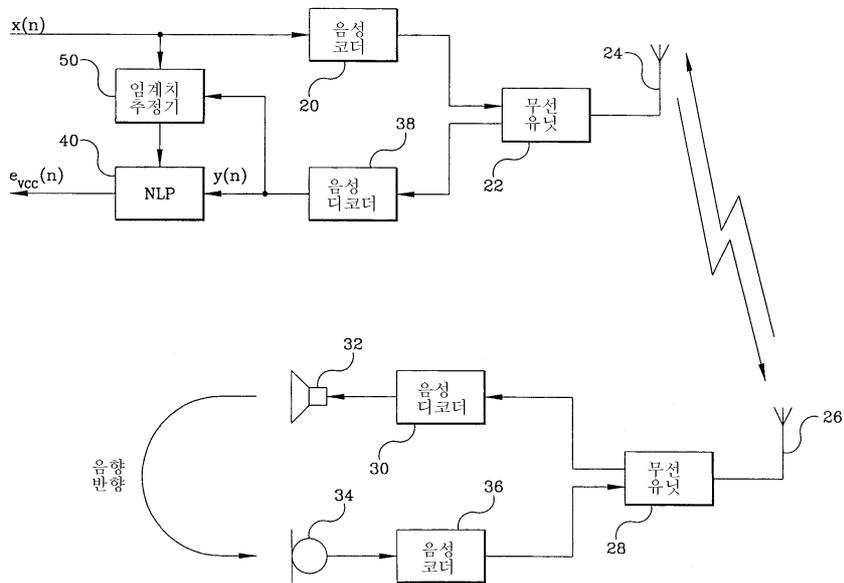
8



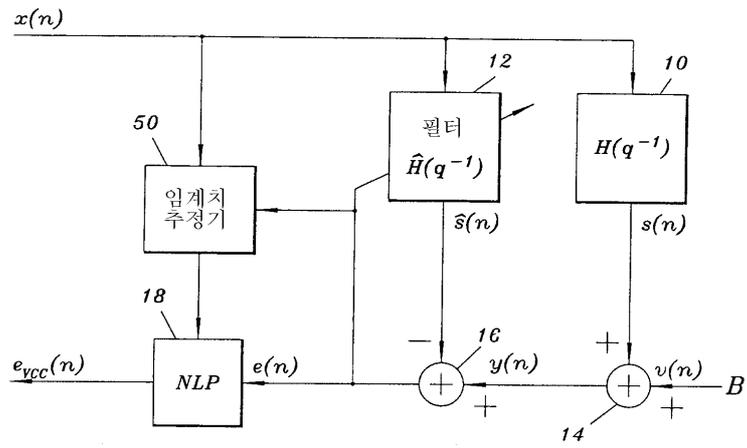
9



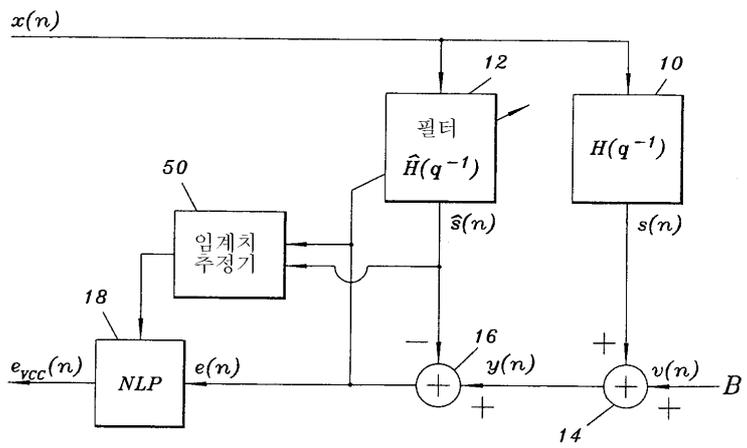
10



11



12



13

