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:

(54)

$$A^P(z) = 1 + \sum_{i=1}^{M_p} a_i^P \cdot z^{-i}$$

가 (p) (S^{p-1}(n)) (5_p)가 (M_p) (p(1 p q)) (S^p(n)) (p+1)

1

1
2
3 4
5 6

CELP
CELP

μ , G_p , γ_1 , (a_i) , (a_i) , 1 , 2 , 0 , 1 , 2 , 1

가

가

가

(, , , DTMF), (, , ,)

$(a_{1^p}, \dots, a_{M_p^p})$ (stage) q 1 (M_p)
 $(p+1)$ 가 (p)

$$A^p(z) = 1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i} \quad (4)$$

가 1 (formant)

가

2

가

q

$$A(z) = \prod_{p=1}^q A^p(z) \quad (5)$$

$A(z)$ (2) 가

가

가

(γ_1, γ_2)

$$W(z) = \prod_{p=1}^q [A^p(z/\gamma_1^p)/A^p(z/\gamma_2^p)] \quad (6)$$

γ_1^p 및 γ_2^p 는 $1 \leq p \leq q$ 일때, $0 \leq \gamma_2^p \leq \gamma_1^p \leq 1$

가 $(q-1)$ 가

가

$1/A(z)$ 가

$$A(z) = \prod_{p=1}^q (1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i}) \quad (7)$$

$a_1^p, \dots, a_{M_p}^p$ 는 $1 \leq p \leq q$, p

$A(z/\beta_1)/A(z/\beta_2)$ (여기에서 β_1 및 β_2 는 $0 \leq \beta_1 \leq \beta_2 \leq 1$) (3)

$$\prod_{p=1}^q [A^p(z/\beta_1^p)/A^p(z/\beta_2^p)] \quad (8)$$

, β_1^p 및 β_2^p 는 $1 \leq p \leq q$ 일때, $0 \leq \beta_1^p \leq \beta_2^p \leq 1$

1, 2, 가, 가, $1/A(z)$ 가, $A(z) = \prod_{p=1}^q A^p(z)$

(bit stream)

$A(z)$ 가, $A(z) = \prod_{p=1}^q A^p(z)$

1, 1, 가, $A^{F,p}(z) = 1 + \sum_{i=1}^{MF_p} a_i^{F,p} \cdot z^{-i}$, $A^F(z) = \prod_{p=1}^{q_F} A^{F,p}(z)$, $A^B(z) = \prod_{p=1}^{q_B} A^{B,p}(z)$, $A(z) = A^F(z) \cdot A^B(z)$

1, (MF_p) , (q_F) , $(a_1^{F,p}, \dots, a_{MF_p}^{F,p})$, (p) , $(p+1)$, $1/A^F(z)$ 가, (q_B) , (MB_p) , $(a_1^{B,p}, \dots, a_{MB_p}^{B,p})$, (p) , $(p+1)$, $1/A^B(z)$ 가, $1/A(z)$ 가

$$A^F(z) = \prod_{p=1}^{q_F} A^{F,p}(z) = \prod_{p=1}^{q_F} \left(1 + \sum_{i=1}^{M_{Fp}} a_i^{F,p} \cdot z^{-i} \right)$$

$\frac{1}{A^F(z)}$ 가 $\frac{1}{(a_{1^{F,p}}, \dots, a_{M_{Fp}^{F,p}})}$ (p) , 1 p q_F , 1)

- $A(z) = A^F(z) \cdot A^B(z)$ (, $\frac{1}{A^B(z)}$, 2)

$\frac{1}{A(z)}$ 가 $\frac{1}{A^F(z)}$ 가

가 $\frac{1}{A(z)} = \frac{1}{[A^F(z) \cdot A^B(z)]^{q_B}}$ 가

$$A^B(z) = \prod_{p=1}^{q_B} A^{B,p}(z)$$

가 .

1 $S^0(n)$ 가 , (n) . q (5_1, ..., 5_p, ...)

, 5_q)가 (prediction stage)(15p (1 p q)) (s^{p-1}(n)) (M_p)

+1 (1 p q)) (6_p) 가 , p (s^0(n)) (5_p) (s^{p-1}(n)) (5_p)

$$A^p(z) = 1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i} \quad (4)$$

$$a_i^p (1 \leq i \leq M_p) \quad (5_p)$$

(5_1, ..., 5_q)

L.R. Rabiner R.W. Shafer (Prentice-Hall Int. 1978) J.D. Markel

A.H. Gray (Springer Verlag Berlin Heidelberg, 1976) (Levinson-Durbin algorithm)

(5_p) (Levinson-Durbin algorithm)

- Q (s^{p-1}(n)) M_p Ri(0 i M_p) 가

$$R(i) = \sum_{n=1}^{Q-1} s^*(n) \cdot s^*(n-i)$$

, s^*(n) = a^{p-1}(n) \cdot f(n), f(n) (Hamming function) (Q)

- (a_i^p) 가

$$E(0) = R(0)$$

i 가 1 에서 M_p 까지인 때에는 다음과 같이 한다.

$$r_i^p = [R(i) + \sum_{j=1}^{i-1} a_j^{p,i-1} \cdot R(i-j)] / E(i-1)$$

$$a_i^{p,i} = -r_i^p$$

$$E(i) = [1 - (r_i^p)^2] \cdot E(i-1)$$

j 가 1 에서 i-1 까지인 때에는 다음과 같이 한다.

$$a_j^{p,i} = a_j^{p,i-1} - r_i^p \cdot a_{i-j}^{p,i-1}$$

$$a_i^{p,i} = a_i^{p,i-1} - r_i^p \cdot a_{i-i}^{p,i-1}$$

$a_i^{p,i}$ (i=1, ..., M_p)
 LAR(r_i^p)
 (LAR) LAR(r) = log₁₀ [(1-r)/(1+r)]
 (quantizing)
 (LAR_i^p)
 LSP LSF
 exp(j₂^p), exp(j₄^p), ..., exp(j_{M_p}^p)
 exp(j₁^p), exp(j₃^p), ..., exp(j_{M_p-1}^p)
 A^p(z) = A^p(z) - z^{-(M_p+1)} A^p((z⁻¹))
 Q^p(z) = A^p(z) + z^{-(M_p+1)} A^p(z⁻¹)

(5_p)
 (S. Saoudi, J.M. Boucher A. Le Guyader
 'Signal Processing, Vol. 28, 1992, pp201
 (Chebyshev Polynomials'(P. Kabal R.P. Ramachandran
 'IEEE Trans. on Acoustics, Speech, and Signal Processing,
 Vol. ASSP-34, No. 6, pp. 1419-1426, December 1986,
 (S^o(n))

$$A(z) = \prod_{p=1}^M A^p(z)$$

(1)(M = M1 + ... Mq)

(a_i)
 (Mp)
 M1 < M2... < Mg
 (: M1=2),
 가

$$a_1 = a_1^1 + a_1^2$$

(9)

$$a_2 = a_2^1 + a_1^1 a_1^2 + a_2^2$$

(10)

$$a_k = a_2^1 a_{k-2}^2 + a_1^1 a_{k-1}^2 + a_k^2 (2 < k \leq M-2 \text{ 일 때})$$

(11)

$$a_{M-1} = a_2^1 a_{M-3}^2 + a_1^1 a_{M-2}^2$$

(12)

$$a_M = a_2^1 a_{M-2}^2$$

(13)

(1 p q)
 (9) (13)
 LAR_i, cos_i
 (constraints)
 2 (M=15) () q=2 (M1=2, M2=13)
 () 30ms
 (Fe) 16 kHz () (I)

가
 $|1/A(e^{2j\pi f/F_s})|^2 \quad (60 \text{ dB}) \quad (f > 4 \text{ kHz})$

CELP

3 CELP

(14) (C_k) (12)가 (u) (10)가 (k) (16)

(§) (17) 가

(J.H. Chen A. Gersho, IEEE Trans. on Speech and Audio Processing, Vol. 3-1, pp. 59-71, January 1995, LPC (17) CELP (16) (17)

(50 7000 Hz) , 16 kHz 16 (14)

$B(z) = 1 - Gz^{-T}$ (LTP) $1/B(z)$ 가 (T) (G) LPC (16)

$A(z)$ 가 (1) $1/A(z)$ CELP $A(z)$ 가 (16) (7) q=2, M1=2, M2=13

(M=M1+M2=15)

(14) 가 (u(n)) (excitation signal) (G. u(n-T)) (Bck(n))가 LPT

가 4 CELP s(n) (22) s(n) (: = 160, L = 32).

LPC, LTP EXC (K) 3 (24, 26, 28)

(30) (32) (32) (32) (32) LPC, LTP EXC 3 LPC 가 (14,16) (24) s(n)

LPC 1 $s^0(n)=s(n)$

(long-term prediction) LTP

(16) L $1/A(z)$ 가 (34) s(n) 0 (24) LPC (32) (34) 가 (38) M=M1+...+Mq

가 가 (38) $W(z) = AN(z)/AP(z)$ AN(z) AP(z) bi ci(1 i M) 가 가 (39) (7) A(z) 가 (2)

$N(z)=A(z/\gamma_1)$ $AP(z)=A(z/\gamma_2)$, $\gamma_1=0.92$ $\gamma_2=0.6$

$W(z)$ 가 (6)

가

$$AN(z) = \prod_{p=1}^q A^p(z/\gamma_1^p)$$

$$AP(z) = \prod_{p=1}^q A^p(z/\gamma_1^p)$$

q=2, M1=2, M2=13 가 ($\gamma_1^1=0.9, \gamma_2^1=0.65, \gamma_1^2=0.95, \gamma_2^2=0.75$)가

$$A^1(z/\gamma_1^1)/A^1(z/\gamma_1^2) \quad (38)$$

$$A^2(z/\gamma_1^2)/A^2(z/\gamma_2^2) \quad (26)$$

LTP

$$[\sum_{n=1}^{L-1} x'(n) \cdot y_T(n)]^2 / [\sum_{n=0}^{L-1} [y_T(n)]^2]$$

, $x'(n)$ 가 (38)

n) $h'(0), h'(1), \dots, h'(L-1)$

$$(h') \quad (40)$$

$W(z)/A(z)$ 가 가

(bi, ci)

, $y_T(n)$ $u(n-T) * h'()$

$u(n-T)$
(missing
(T)

(32)

(14)

sample) $u(n-T)$

(convolution) $y_T(n)$

(interval around)

T')

1 (T')

.가

(T')

(T) $A(z)$

(G)

$$G = [\sum_{n=0}^{L-1} x'(n) \cdot y_T(n)] / [\sum_{n=0}^{L-1} [y_T(n)]^2]$$

CELP

(T)

(26)

$Gy_T(n)$ 가

(42)

$x'(n)$

$D(n)$

$x(n)$

(44)

$$D(n) = \sum_{i=n}^{L-1} x(i) \cdot h(i-n)$$

, $h(0), h(1), \dots, h(L-1)$ 가

(40)

$W(z)/[A(z) \cdot B(z)]$ 가

$$D=(D(0), D(1), \dots, D(L-1))=x.H$$

$X=(X(0), X(1), \dots, X(L-1))$ 이라 하면,

$$H = \begin{bmatrix} h(0) & 0 & \dots & \dots & 0 \\ h(1) & h(0) & 0 & \dots & \dots \\ \vdots & \vdots & \vdots & \vdots & \vdots \\ h(L-2) & \dots & \dots & h(0) & 0 \\ h(L-1) & h(L-2) & \dots & h(1) & h(0) \end{bmatrix}$$

(D)

(28)

(28)

(P_k^2/α_k^2)

$$P_k = D \cdot C_k^T$$

$$\alpha_k^2 = C_k \cdot H^T \cdot H \cdot C_k^T = C_k \cdot U \cdot C_k^T$$

(k)

() $\beta = P_k/\alpha_k^2$

3

, CELP

(8)가

. EX

C

LTP LPC

(\\$)

(10),

(12)

(14, 16)

(19)

가

(\\$)

(18)

3 PARCOR LPC 가 , 가 ((r_i^p)
 (recursive method)
 (aip) (4) 1/A¹(z)...1/A^q(z) 가 q /
 (16) (16) (1) 1/A(z) 가

$$H_{PF}(z) = G_P \frac{APN(z)}{APP(z)} (1 - \mu r_1 z^{-1})$$

(a_i^p) 가 (17)

, APN(z) APP(z) (M) FIR , G_P 가 , μ (a_i)
 , r₁ 1 (r₁) 가 (μ) r₁
 . APN(z)/APP(z) , 1 가 (r₁=r₁¹) (3) 2 1 , APN(z)=A(z/ r₁) APP(z)=A
 (z/ r₂) 가 (7) A(z) 가 (8) (1, 2)

$$APP(z) = \prod_{p=1}^q A^p(z/\beta_p^2)$$

$$APN(z) = \prod_{p=1}^q A^p(z/\beta_p^p)$$

q=2, M1=2, M2=13 가 (r₁¹=0.7, r₂¹=0.9, r₁²=0.95, r₂²=0.97)
 가

가 (J.H. Chen 'CCITT 16 kbit/s
 CELP', IEEE J. SAC, Vol. 10, No. 5, pp. 830- 848, June 1992,). 5 6
 CELP CELP 3 4

(16) 가 u(n) ŝ(n) 3
 (k) () LTP (124) LPC
 (24) (124) (17)

6 s(n)가 (10, 12, 14, 16, 124) (local
 decoder)(132)가 (132) LPC 가
 가 (39) (h, h') (40) (36)

(s) (u) 가 (24) . EXC LTP

7 8 CELP CELP . 1
) 3 6 (

7 (16) 가 u(n) EXC, LTP LPC/
 F 1 P qF , qF (a₁^{F,P}, ..., a_{M_FP}^{F,P}) (16) LPC/
 1/A(z) 1 1/A^F(z)

$$A^F(z) = \prod_{p=1}^{qF} A^{F,P}(z) = \prod_{p=1}^{qF} [1 + \sum_{i=1}^{M_{F,P}} a_i^{F,P} \cdot z^{-i}]$$

8 LPC/F , qF > 1 1
 , qF=1 s(n) (224/F)
 1/A(z)=1/[A^F(z) · A^B(z)] 가 (16) 1/A^B(z)

$$A^B(z) = \prod_{p=1}^{qB} A^{B,P}(z) = \prod_{p=1}^{qB} [1 + \sum_{i=1}^{M_{B,P}} a_i^{B,P} \cdot z^{-i}]$$

(a_i^{B,P}) A^F(z) 가 ŝ⁰(n) (200) ,
 ŝ⁰(n) (16) ŝ⁰(n) 가

(224/B) $q_B > 1$, $q_B = 1$,

$\hat{s}^0(n)$ (16) LPC/B , $q_B = 1$, 2 APN(z)

APP(z)가 APN(z)=A(z/ β_1), APP(z)=A(z/ β_2) (17)

$APN(z) = [\prod_{p=1}^{q_F} A^{F,p}(z/\beta_1^{F,p})] \cdot [\prod_{p=1}^{q_B} A^{B,p}(z/\beta_1^{B,p})]$

$APP(z) = [\prod_{p=1}^{q_F} A^{F,p}(z/\beta_2^{F,p})] \cdot [\prod_{p=1}^{q_B} A^{B,p}(z/\beta_2^{B,p})]$

$(\beta_1^{F,p}, \beta_2^{F,p}; \beta_1^{B,p}, \beta_2^{B,p})$ 은 $0 \leq \beta_1^{F,p} \leq \beta_2^{F,p} \leq 1$ 및 $0 \leq \beta_1^{B,p} \leq \beta_2^{B,p} \leq 1$

(232) 7 (10, 12, 14, 16, 200, 224/B)

(h, h') (36) (s) (u) 가 , 가 가 (39)

LPC/B (40) , (224/F) LPC/F

(39) 가 가 (38) $W(z)=A(z/\gamma_1)/A(z/\gamma_2)$,

$W(z) = [\prod_{p=1}^{q_F} [\frac{A^{F,p}(z/\gamma_1^{F,p})}{A^{F,p}(z/\gamma_2^{F,p})}]] \cdot [\prod_{p=1}^{q_B} [\frac{A^{B,p}(z/\gamma_1^{B,p})}{A^{B,p}(z/\gamma_2^{B,p})}]]$

$(\gamma_1^{F,p}, \gamma_2^{F,p}; \gamma_1^{B,p}, \gamma_2^{B,p})$ 은 $0 \leq \gamma_1^{F,p} \leq \gamma_2^{F,p} \leq 1$ 및 $0 \leq \gamma_1^{B,p} \leq \gamma_2^{B,p} \leq 1$

4 . EXC, LTP LPC/F

(57)

1.

(M_p) , $q(1)$, (5_p) 가 , $(s^0(n))$
 $(p+1)$, $(a_i^p, \dots, a_{M_p}^p)$ 가 1 (p) , $(s^0(n))$
 $A^p(z) = 1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i}$, $(s^{p-1}(n))$

2.

1 , (M_p) 가 가 .

3.

(16) (LPC) , , (s
 $(\hat{s}(n))$, (16) 가 $(u(n))$
 (k, \dots, LTP) ,

$q(1)$) (5_p) 가 , ,
 $(p+1)$, $(a_i^p, \dots, a_{M_p}^p)$ $(s(n))$ 가 1 (p) , $(s^0$
 (M_p) , $(p+1)$ $(s^p(n))$ 가 ,

$A^p(z) = 1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i}$
 가 (p) $(s^{p-1}(n))$, (16)가

$A(z) = \prod_{p=1}^P A^p(z)$

가 $1/A(z)$ 가 .

4.

3 , (M_p) 가 가 .

5.

3, 4 가 $(W(z)=A(z/\gamma_1)/A(z/\gamma_2))$ 가 (38)
 γ_1, γ_2 는 $0 \leq \gamma_2 \leq \gamma_1 \leq 1$,
 (s(n)) ($\hat{s}(n)$)

6. 가,
 $W(z) = \prod_{p=1}^q [A^p(z/\gamma_1^p)/A^p(z/\gamma_2^p)]$
 (γ_1^p, γ_2^p 는 $1 \leq p \leq q$ 일때, $0 \leq \gamma_2^p \leq \gamma_1^p \leq 1$)
 가 가 (38) (s(n)) ($\hat{s}(n)$)

7.
 (16) (LPC) (k, LTP) (p) (Mp)
 가 1 (q) (a_i^p) (p) (Mp)
 (u(n))가 (s(n))가

$$A(z) = \prod_{p=1}^q (1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i})$$

1/A(z) 가 ($a_1^p, \dots, a_{M_p}^p$) 1 p q , p

8. ($\hat{s}(n)$) 가 $A(z/\gamma_1)/A(z/\gamma_2)$ (H_{PF}(z)) 가 (17) 2 0 가

9. ($\hat{s}(n)$) 가
 $\prod_{p=1}^q [A^p(z/\beta_1^p)/A^p(z/\beta_2^p)]$
 (β_1^p, β_2^p 는 $0 < \beta_2^p < \beta_1^p < 1$, $A^p(z)$
 $A^p(z) = 1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i}$
 (H_{PF}(z)) 가 (17) 가

10. 1 (LPC) , 2 (s(n))
 (s(n)) (16) 가 (u(n)) 2 (k, LTP)
 q(1) (5_p) 가 (p) (Mp)
 ($a_i^p, \dots, a_{M_p}^p$) (p) (Mp)
 ($\hat{s}(n)$) 가 1 (s⁰(n))
 (p+1) (s^p(n))가
 $A^p(z) = 1 + \sum_{i=1}^{M_p} a_i^p \cdot z^{-i}$
 가 (p) (s^{p-1}(n)) (16)가 1/A(z)

11. $A(z) = \prod_{p=1}^q A^p(z)$
 가

10 (Mp)가 가 .
 12. $W(z) = A(z/\gamma_1)/A(z/\gamma_2)$ (여기에서, γ_1 및 γ_2 는 $0 \leq \gamma_2 \leq \gamma_1 \leq 1$ 가 가 (38) , 1 (s(n)) ($\hat{s}(n)$)

13. $W(z) = \prod_{p=1}^q [A^p(z/\gamma_1^p)/A^p(z/\gamma_2^p)]$ 가
 (, γ_1^p 및 γ_2^p 는 $1 \leq p \leq q$ 에 있어서, $0 \leq \gamma_2^p \leq \gamma_1^p \leq 1$ 가 가 (38) , 1 (s(n)) ($\hat{s}(n)$)

14. (k, , LTP) (u(n))가 ($\hat{s}(n)$)가 (16) (16)
 q)) , q(1) (5 p) 가 (p) (Mp) (p(1 p
 (a 1 p , ..., a Mp p) (s 0 (n)) , (p+1)
 ($\hat{s}(n)$)가 1 (s p (n))가 (p) (s p-1 (n)) (16)가 1/A(z)

$A(z) = \prod_{p=1}^q A^p(z)$ 가
 15. ($\hat{s}(n)$)가 $A(z/\gamma_1)/A(z/\gamma_2)$ (H PF (z)) 가 , 1 (17) 0

16. (s(n))가
 $\prod_{p=1}^q [A^p(z/\beta_1^p)/A^p(z/\beta_2^p)]$
 (, 1 p 2 p 1 p q , 0 1 p 2 p 1) (17) 가

17. (16) 1 1 (LPC/F) , 1 (s(n))
 1 (s(n)) (k, , LTP) (16) 가 (u(n))
 1 1 가 ($\hat{s}(n)$)
 2 ,
 1 (s(n)) qF(1) (5p) 가
 , qF 가 (p(1 p q) , (a i F,p , ..., a
 MFp F,p) (p) (MFp) 1 (s 0 (n)) , qF 가 1 (

$$A^{F,P}(z) = 1 + \sum_{i=1}^{MFp} a_i^{F,P} \cdot z^{-i}$$
 가 (16) 가 $1/A^F(z)$ 가 (p) $(s^{p-1}(n))$,

$$A^F(z) = \prod_{p=1}^{q_F} A^{F,p}(z)$$
 가 , q_B (1) (5p) 가 $(a_1^{B,p}, \dots, a_{MBp}^{B,p})$ (p) $(p(1-p)q_B)$, $(\hat{s}^0(n))$ 가 q_B 가 $(\hat{s}^0(n))$, q_B 가

$$A^{B,P}(z) = 1 + \sum_{i=1}^{MBp} a_i^{B,p} \cdot z^{-i}$$
 가 2 가 q_B 가 $1/A^B(z)$ 가 (p) $(s^{p-1}(n))$,

$$A^B(z) = \prod_{p=1}^{q_B} A^{B,p}(z)$$
 가 , (16)가 $1/A(z)$ $A(z) = A^F(z) \cdot A^B(z)$ 가

18.

$$W(z) = A(z/\gamma_1)(A(z/\gamma_2))$$
 가 (여기에서, γ_1 및 γ_2 는 $0 \leq \gamma_2 \leq \gamma_1 \leq 1$) 가 (38) , 1 $(\hat{s}(n))$ $(s(n))$

19.

$$W(z) = \left[\prod_{p=1}^{q_F} \left[\frac{A^{F,p}(z/\gamma_1^{F,p})}{A^{F,p}(z/\gamma_2^{F,p})} \right] \right] \cdot \left[\prod_{p=1}^{q_B} \left[\frac{A^{B,p}(z/\gamma_1^{B,p})}{A^{B,p}(z/\gamma_2^{B,p})} \right] \right]$$
 ($\gamma_1^{F,F}$ 및 $\gamma_2^{F,F}$ 는 $1 \leq p \leq q_F$ 일때, $0 \leq \gamma_2^{F,F} \leq \gamma_1^{F,F} \leq 1$) , $(s(n))$ $(\hat{s}(n))$

$\gamma_1^{B,F}$ 및 $\gamma_2^{B,F}$ 는 $1 \leq p \leq q_B$ 일때, $0 \leq \gamma_2^{B,F} \leq \gamma_1^{B,F} \leq 1$

가 가 (38) , 1 $(s(n))$ $(\hat{s}(n))$

20.

$$A^F(z) = \prod_{p=1}^{q_F} A^{F,p}(z) = \prod_{p=1}^{q_F} \left[1 + \sum_{i=1}^{MFp} a_i^{F,p} \cdot z^{-i} \right]$$
 가 , $(u(n))$ 가 $(s(n))$ 가 $1/A(z)$ $A(z) = A^F(z) \cdot A^B(z)$ 가 (16)

$(\hat{s}(n))$ 가 $A^F(z)$ 가 , $(\hat{s}^0(n))$ (16) 2

(p) , q_B (1) (5p) 가 $(a_1^{B,p}, \dots, a_{MBp}^{B,p})$, $(\hat{s}^0(n))$ 1

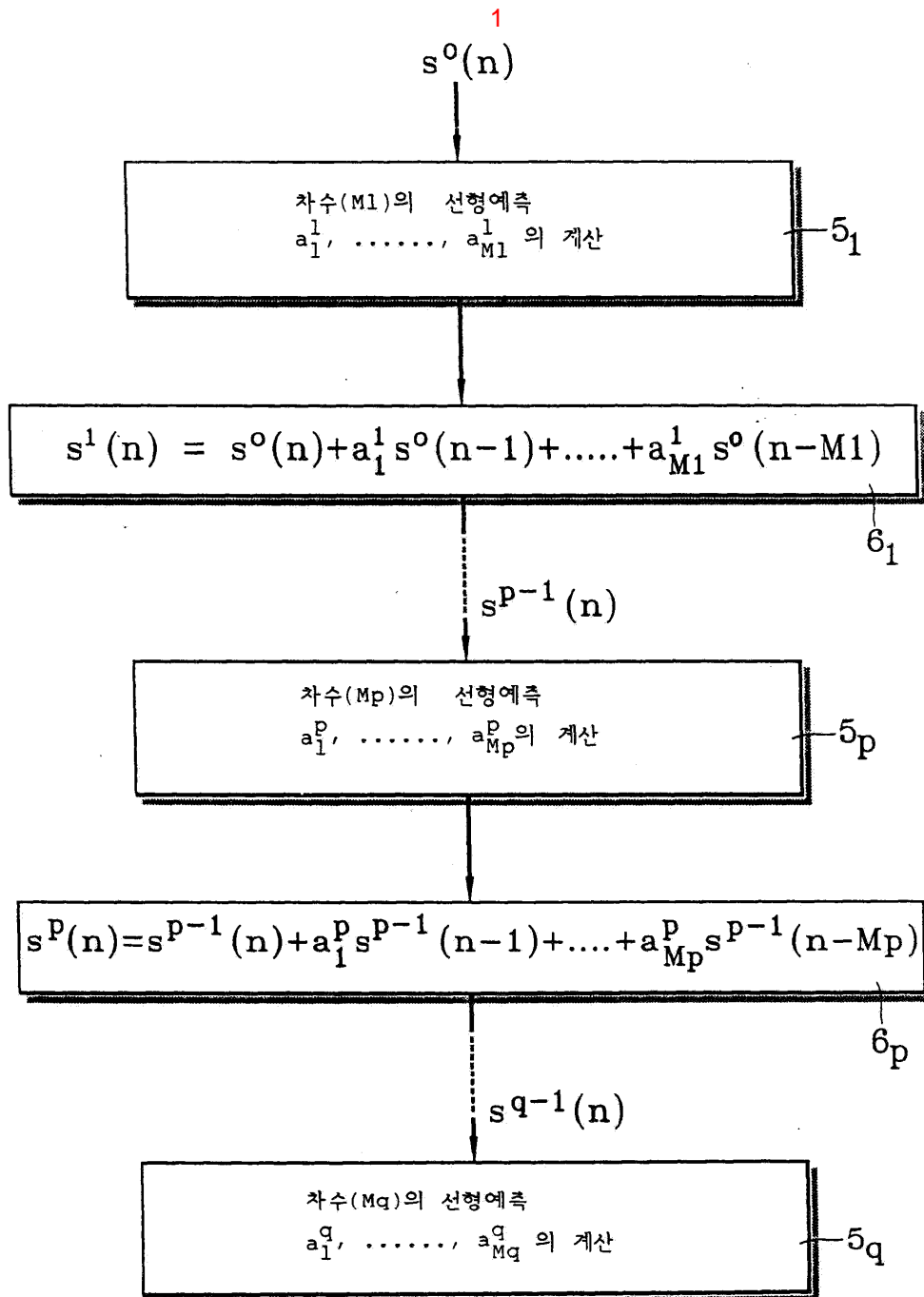
$$A^{B,P}(z) = 1 + \sum_{i=1}^{MBp} a_i^{B,p} \cdot z^{-i}$$

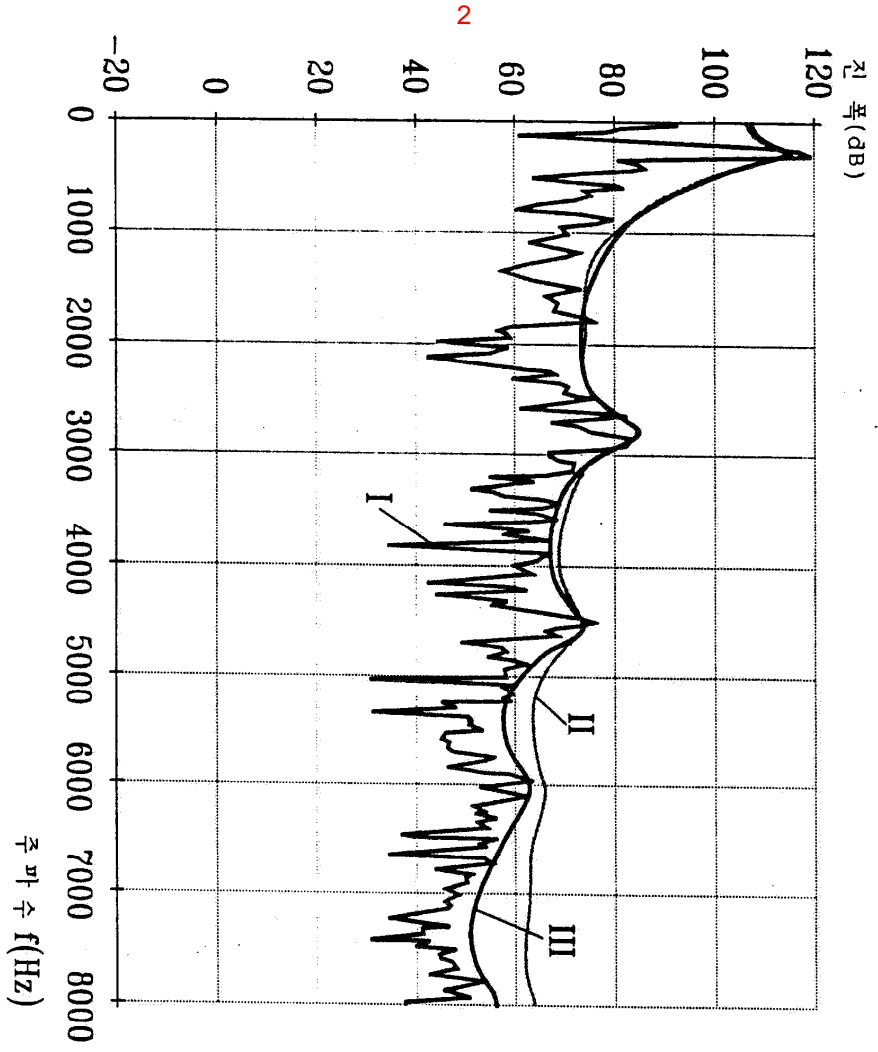
가
 가 $1/A^B(z)$ (p) $(s^{p-1}(n))$, (16) 2
 $A^B(z) = \prod_{p=1}^{q_B} A^{B,p}(z)$

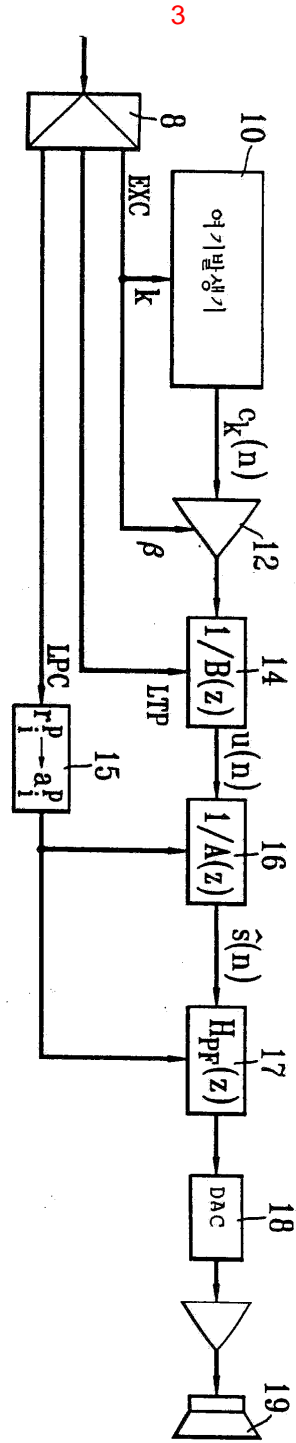
가
 21.
 20 $(s(n))$ 가 $A(z/\beta_1)/A(z/\beta_2)$ (H_{PF}(z)) 가, 1 2 0
 1 2 1) (17) 가

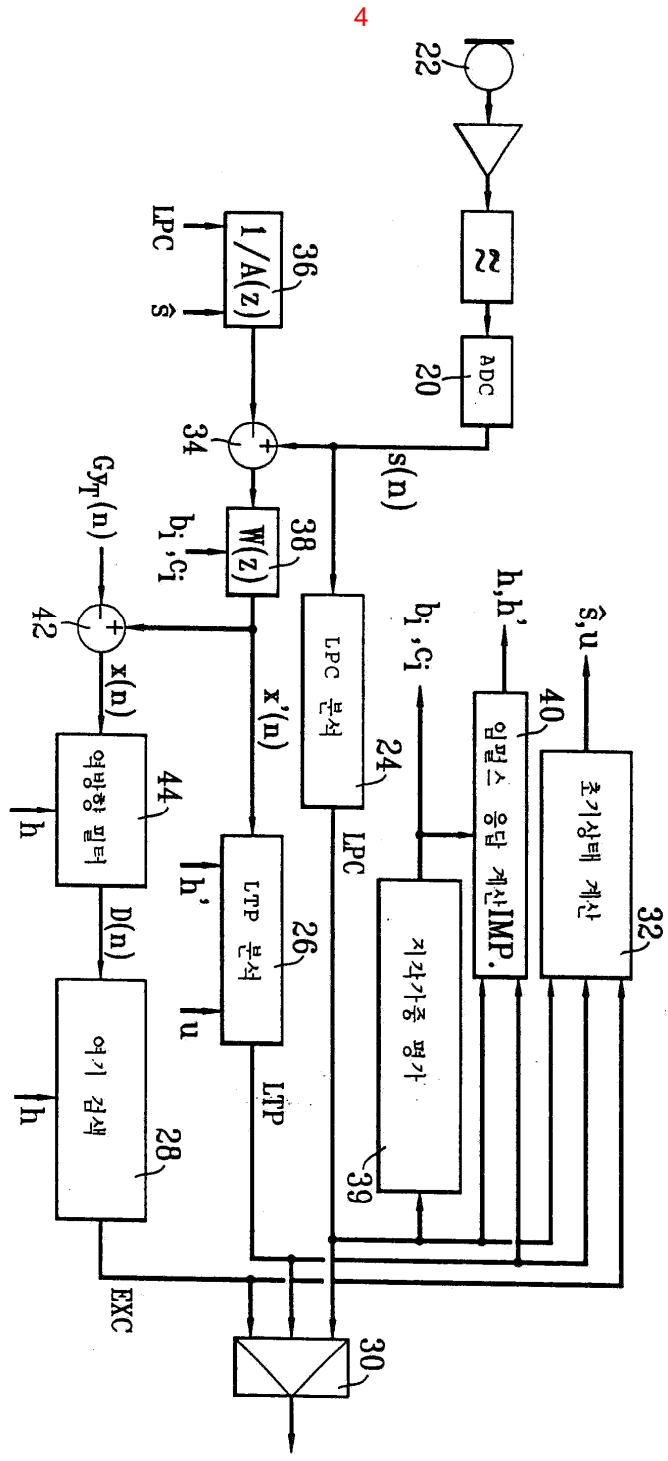
22.
 20 $(\hat{s}(n))$ 가

$$\left[\prod_{p=1}^{q_F} \left[\frac{A^{F,p}(z/\beta_1^{F,p})}{A^{F,p}(z/\beta_2^{F,p})} \right] \right] \cdot \left[\prod_{p=1}^{q_B} \left[\frac{A^{B,p}(z/\beta_1^{B,p})}{A^{B,p}(z/\beta_2^{B,p})} \right] \right]$$
 ($\beta_1^{F,P}$, $\beta_2^{F,P}$, $\beta_1^{B,P}$, $\beta_2^{B,P}$, 0 $\beta_1^{F,P}$, $\beta_2^{F,P}$, 1)
 B,P $(H_{PF}(z))$ 가 (17) 가

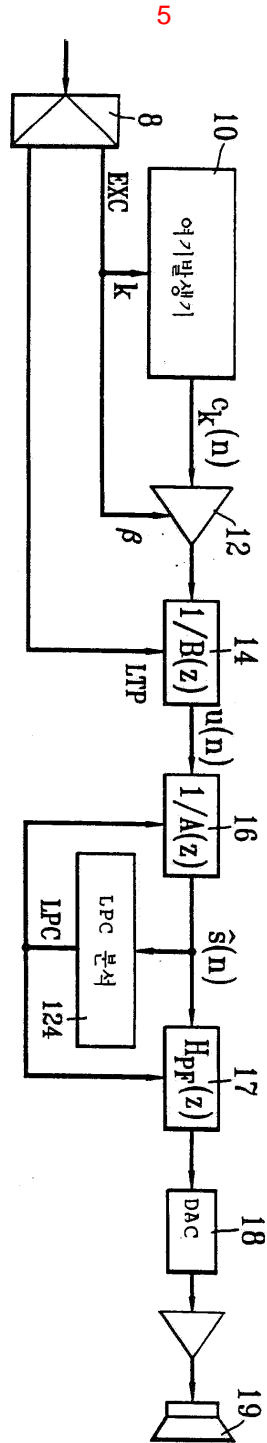


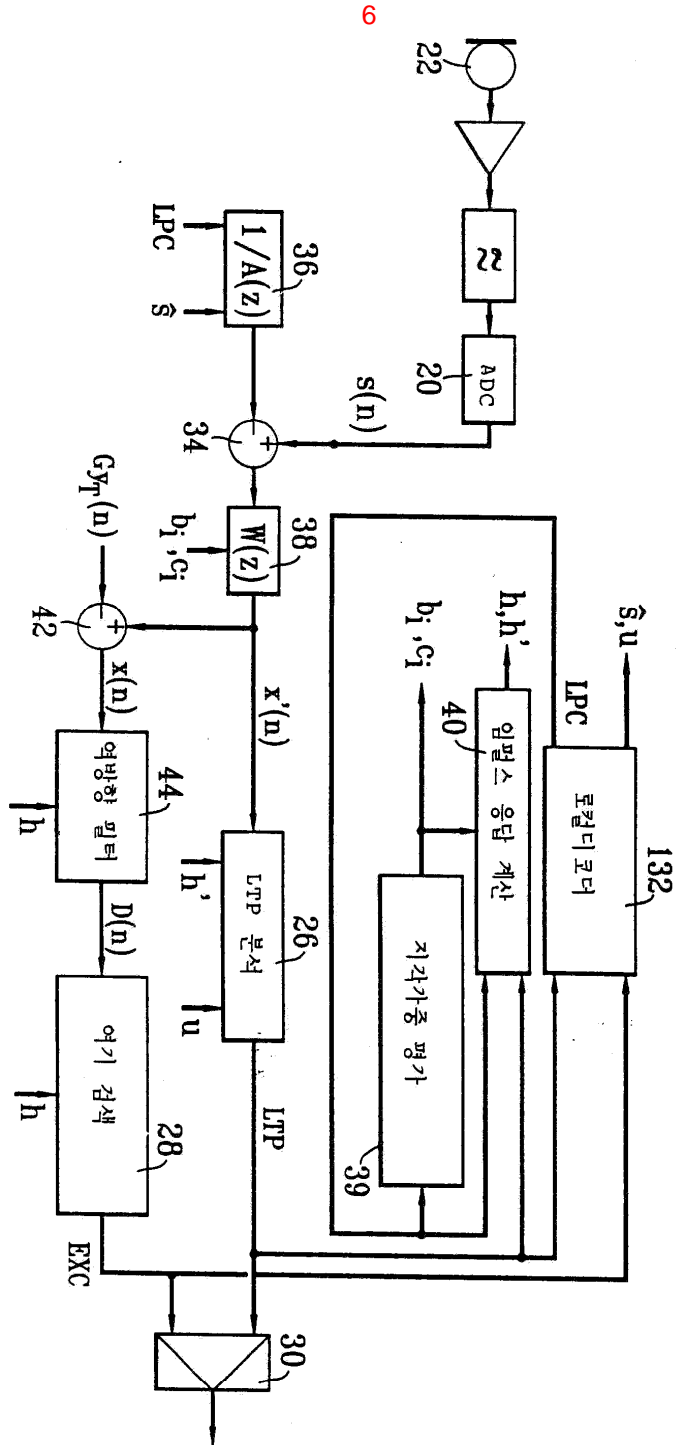






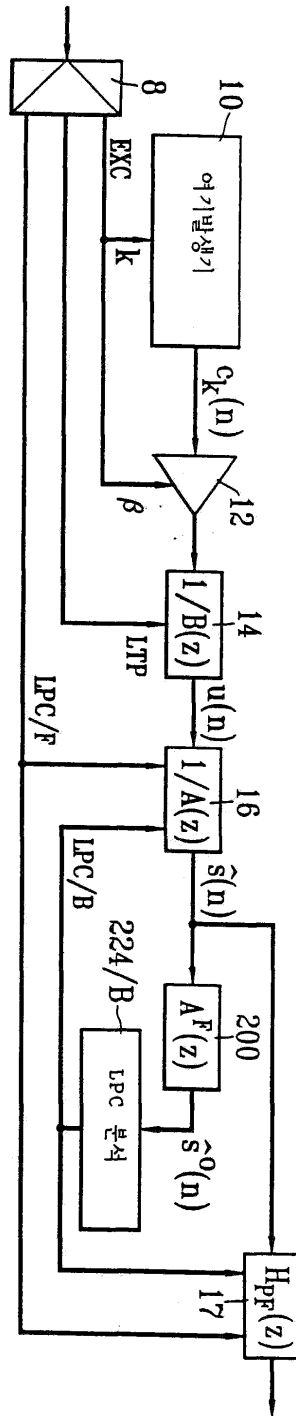
4

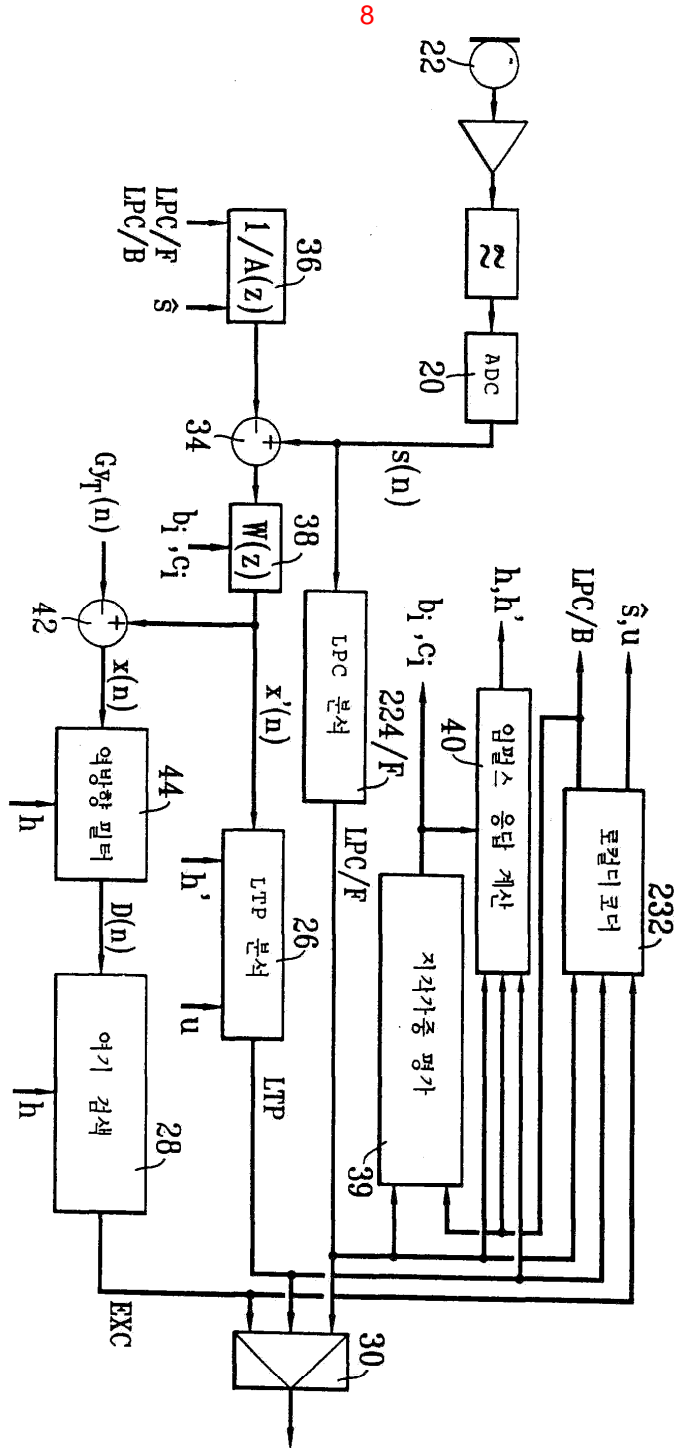




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